# EC500

Design of Secure and Reliable Hardware

Lecture 3

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#### Fault Models

- Fault (failure) is a physical event
- Error is a manifestation of a fault

#### Logic-level Faults

- Fault model is necessary for efficient test generation
- Statistical analysis of faults to construct fault models
- Fault model depends on implementation and environment

#### Standard Fault Models

Stuck-at faults: a line Z is stuck-at-0 or stuck-at-1 (Z/0, Z/1 or z=0, z=1)

Single (SSF) and Multiple (MSF) faults: SSF is the most popular model

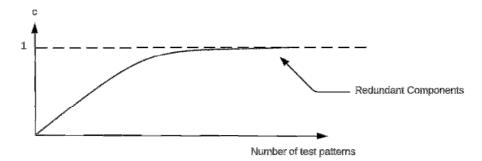
Stuck-at faults are fetected by off-line and by on-line testing (error detection)

<u>Fault coverage</u> – percentage of faults which are detected *Example*: For SSF and  $\mu$  processors, 98% is a reasonable fault coverage

#### Fault-Coverage for SSF

Fault Coverage C is a percentage of SSF which are detected

SSF – Single stuck-at faults for complex devices (ex.  $\mu$  processors) about 2% of SSF are <code>undetectable</code>



Estimation of fault-coverage by <u>simulation</u> software for fault simulation is expensive. Up to 100,000 SSF's can be simulated in a reasonable CPU time.

• Number of stuck-at faults with a multiplicity at most *l* 

$$\sum_{i=1}^{l} 2^{i} {L \choose i}, \qquad {L \choose i} = \frac{L!}{i! (L-i)!}, \qquad i = 1,2,3, \dots$$

L is the number of lines in a network

Example:  $L = 1000, l = 2 \rightarrow 2 \times 10^6$  faults

#### Special Classes of Stuck-at Faults

Bursts of length B(for discs or tapes)

Number of bursts: N - B + 1, N is a number of binary cells

Symmetric, asymmetric and unidirectional stuck-at faults:

ullet Number of unidirectional faults with a multiplicity at most l

$$\sum_{i=1}^{l} {L \choose i}$$

Example:  $L = 1000, l = 2 \rightarrow 500500$  faults

- I. <u>Input/Output</u> (<u>Terminal</u> or <u>Pin</u>) stuck-at faults at interconnections between chips:
  - Number of I/O stuck-at faults for a chip with m inputs and k outputs

$$\sum_{i=1}^{l} 2^{i} {m+k \choose l}$$

Example:  $m = k = 16, l = 2 \rightarrow 2048$  faults (symmetrical)

II. <u>Intermittent</u> (transient, soft) faults:

Detected only by <u>on-line</u> tests (ex. Replication of hardware, parity checks, error-correcting codes, roll-backs of a program, etc)

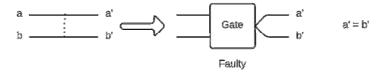
Single intermittent faults

 $(\propto$ -particles) vs repeating faults

Up to 80% - 90% of faults are intermittent (Air Force, IBM)

III. <u>Bridging(BF)</u> (short circuits)

(high density of gates for VLSI)



AND and OR type bridgings:

AND:  $(a, b)_*$  OR:  $(a, b)_+$ 

$\mathbf{a}$	b	AND	OR
0	0	0	0
0	1	0	1
1	0	0	1
1	1	1	1

Relation between stucks and bridgings:

$$a/0 = (a, 0)_*$$

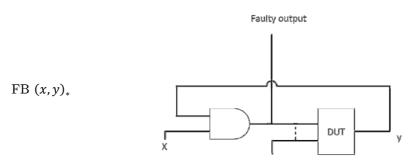
$$a/1 = (a, 1)_{+}$$

Number of bridings:

$$2\binom{L}{2} = L(L-2)$$

# Feedback (FB) and Non-Feedback (NFB) Bridgings

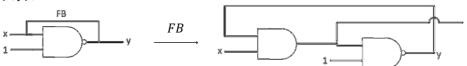
 $\leftarrow^{k}$   $\rightarrow$  m-k FB bridgings between inputs and outputs



Combinational \_ → Sequential

# Oscillation:

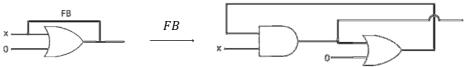
 $(x,y)_*$ 



Difficult to observe

# Asynchronous behavior:

 $(x,y)_*$ 



(For any x output stay 0 after x = 0 applied)

#### **Device-Oriented Faults**

# IV.

 ${\bf Arithmetical\ Faults} \\ {\bf Typical\ for\ adders,\ subtractors,\ counter,\ multipliers,\ etc.}$ x = fault  $\hat{x}$ 

Multiplicity  $l: |x - \hat{x}| = \pm 2^{i_1} \pm \cdots \pm 2^{i_l}$ 

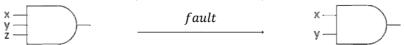
*Example*:  $x = 0111, \hat{x} = 1000 \rightarrow l = 1$ (For stuck-at fault model l = 4)

Number of faults:  $\boldsymbol{m}$  number of bits - unidirectional  $\frac{Symmetric,\ asymmetric}{Arithmetical\ Codes\ (modulo\ A\ checks)}\ arithmetical\ faults:$ 

Example:  $l=1 \rightarrow A=3$  to detect single symmetrical arithmetic errors

# V. PLA Faults

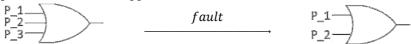
1. A product term can grow (cover more minterms)



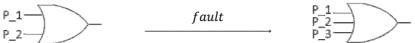
2. A product term can shrink (cover fewer minterms)



3. A product term can disappear from a function



4. A product term from one function can appear also in another function



# VI. Memory Faults

1. Decoding errors:

open decoder → no addressing multiples writes, two address at a time replacement of an address by another

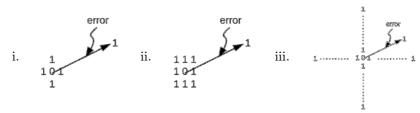
- 2. **Stuck-at** faults in binary cells
- 3. **Bridgings** between cells
- 4. **Bursts** on a surface of a disc or tape

For semiconductor memories:

- 5. <u>Hold time</u> for refreshing data → <u>sleeping sickness</u> graceful degradation of performance
- 6. Write recovery not producing data at a given access time if each READ is preceded by WRITE
- 7. Pattern-sensitive faults (crosstalkes) impossible to write 0 surrounded by 1's

Electrical neighbourhoods

a) NPSF



These faults are most difficult to test

b) <u>K-couplings</u> – pattern sensitive faults (crosstalkes) between any k cells which may be located anywhere in the memory.

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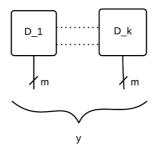
Testing Time (test complexity, number of READ and WRITE operations) is proportional to the size of a neighbourhood

#### VII. **Functional Faults** ( $\mu$ -processors)

- $I_i/I_j$   $I_i/\emptyset$ 1. Replacement of one instruction  $I_i$  by another  $I_i$
- Replacement of an instruction  $I_i$  by no instruction
- Replacement of an instruction  $I_i$  by two instructions  $I_j$  and  $I_k$

These faults are detected by <u>functional testing</u> (<u>function verification</u>)

#### $\underline{\textbf{Network Faults}} \; (\text{Faults in Distributed Systems})$ VIII.



y is q-ary k dimentional vector where  $q=2^m,y\in F_q^k$ 

Node Faults: Multiplicity = numer of nodes which are faulty at the same time

 $0 \leq l \leq k$ 

Link Faults: Multiplicty = number of links between nodes which are faulty at

the same time